

Seismology of sunspots: old needs, new ~~ideas~~ and new needs. developments

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Introduction - old ideas and needs

Discussion of existing results and issues --
'surface magnetic effects'

Some new time-distance helioseismic measurements --
deep focus geometry

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Introduction

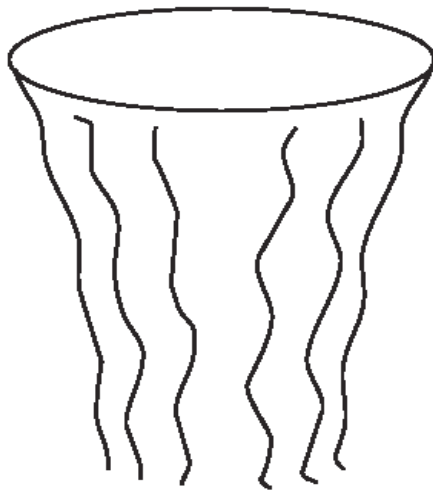
Old ideas - origin of sunspot seismology

The suggestion (Thomas et al. 1982, Nature) that the sunspot - p mode interactions could be used to probe the sub-surface structure of sunspots gave birth to the field of sunspot seismology.

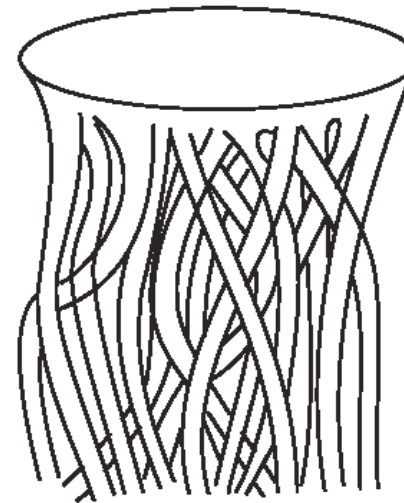
Old needs:

monolithic flux tube ?

or a cluster of flux tubes?



Cowling (1957)

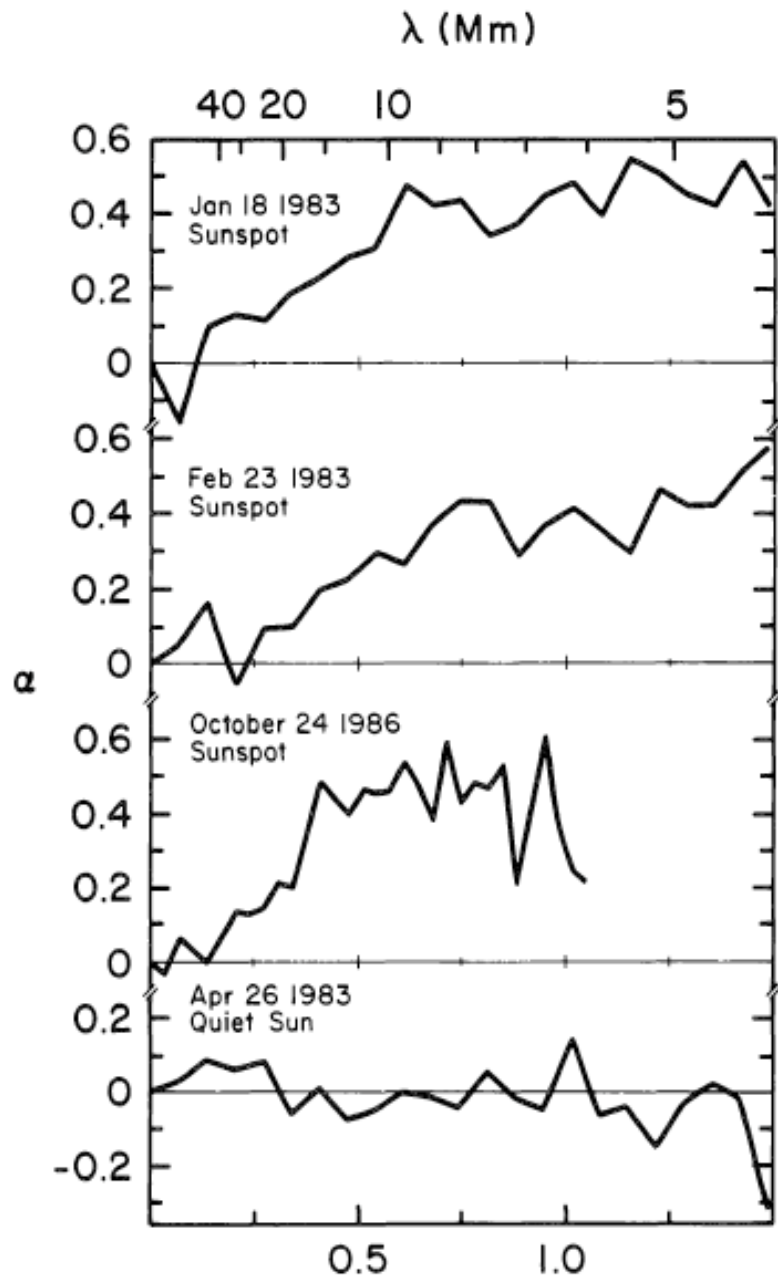


Parker (1979)

- analyses mainly based on changes in the freq. - wavenumber spectrum ($\nu - k$) and changes in modal power
- absorption of p modes by sunspots (Braun, Duvall & LaBonte 1987)
- efforts to model the magnetic field - p mode interactions

Introduction (contd.)

Absorption of p modes by sunspots (Braun, Duvall & LaBonte 1987)



$$\alpha = [P_{\text{in}}(k) - P_{\text{out}}(k)] / P_{\text{in}}(k)$$

Much of the early work (Spruit, Bogdan and Thomas, 90's) focussed on understanding and explaining the mechanisms responsible for the absorption of p modes by sunspots.

Introduction (contd.)

Major developments:

Introduction of time-distance helioseismology (Duvall et al. 1993, *Nature*) made possible 3-dimensional tomographic inversion of subsurface layers of sunspots (Kosovichev et al. 2000, *Sol. Phys.*, Zhao et al. 2001, *ApJ*). Large positive sound speed perturbations extending down to about 18 Mm were imaged.

Subsequent development of helioseismic holography (Lindsey & Braun, 1990's) has contributed to emphasising the dominant magnetic and shallow contributions to seismic measures.

Recently, ring diagrams (Antia, Basu, Howe, Hindman et al.), i.e. 3-d power spectra, have been used to analyse sunspot regions, and 1-d inversions for sound speed and flows have been performed (Basu, Antia and Bogart 2007)

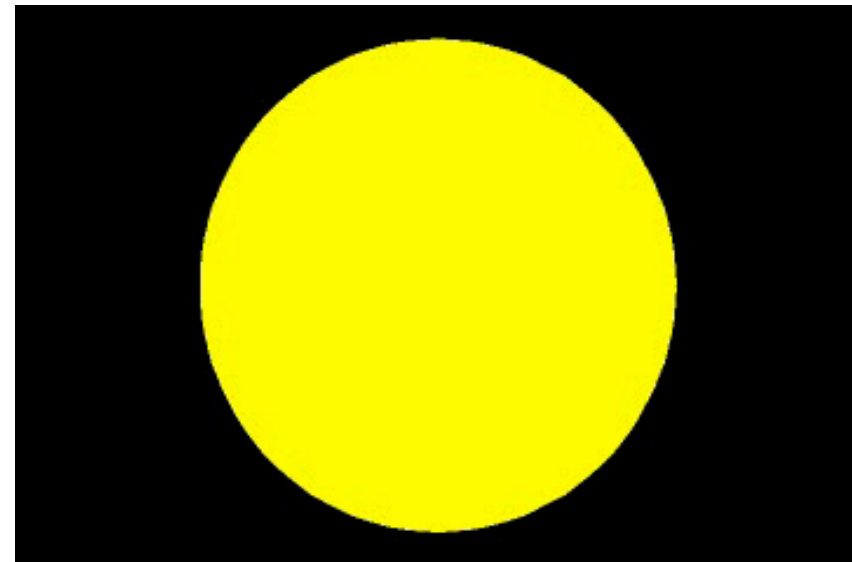
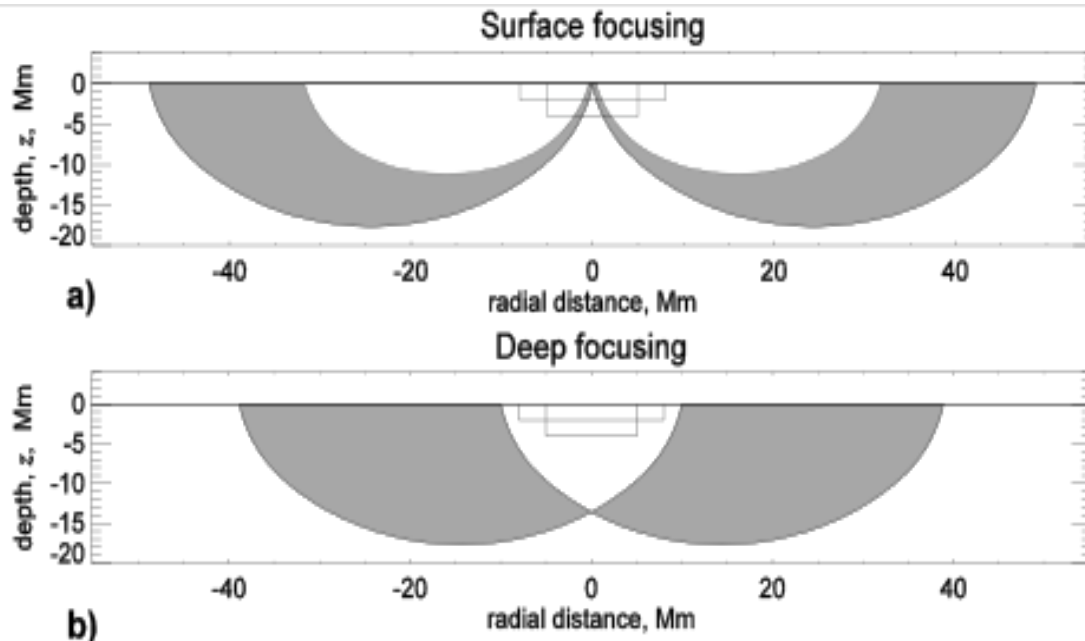
Time-distance helioseismology

Basic measures are travel times of acoustic wave packets – formed out of resonant p-modes – travelling between two surface locations via a curved path through the interior.

The basic data are time-series of Doppler images of target regions.

Travel times are estimated from the temporal cross-correlation of oscillation signals observed at separated surface locations.

Map the travel times over a region of interest and invert them using models of wave-propagation perturbation in sound speed and flow.



Cross-Correlations and Travel times

Centre-Annulus correlations,

$$C(\tau, \Delta) = \int_0^T f(t) f(t + \tau, \Delta) dt$$

$f(t)$ - oscillation signal at the centre point

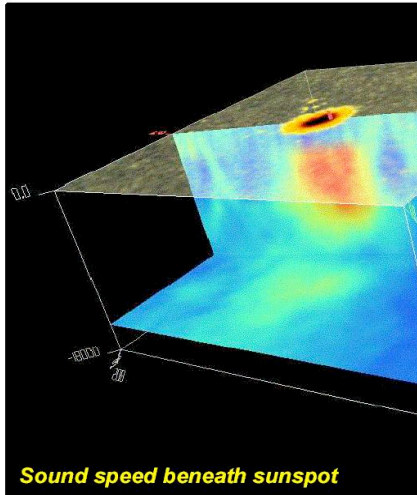
$f(t + \tau, \Delta)$ - signal averaged over an annulus of radius Δ

Travel times are measured by fitting a Gabor wavelet to $C(t, \Delta)$,

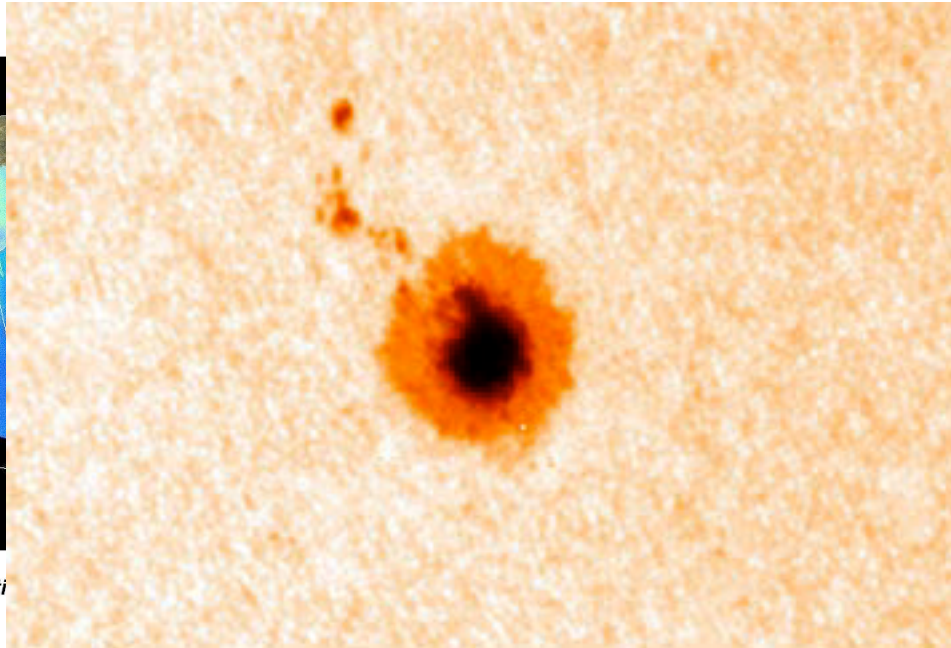
$$G(\tau) = A \cos [2\pi\nu(\tau - \tau_{ph})] \exp \left[-\frac{(\tau - \tau_{en})^2}{2\sigma^2} \right]$$

Existing Results and Problems

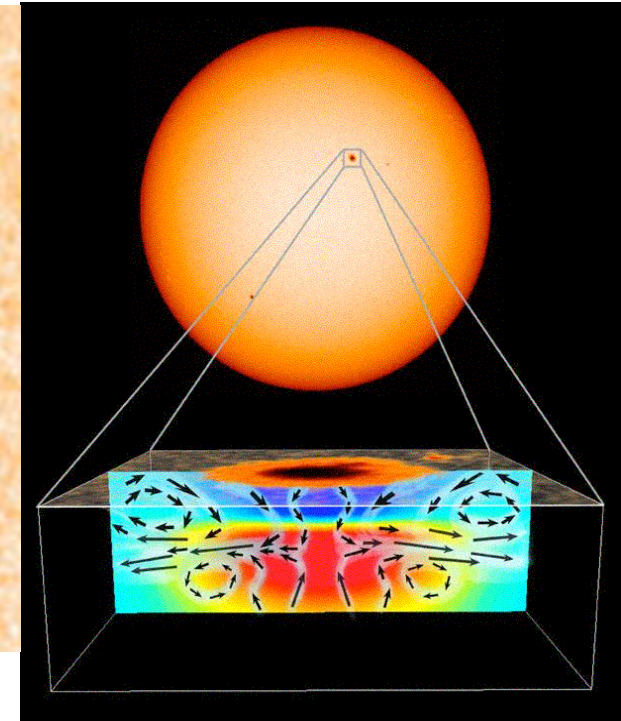
Sound speed perturbation



Sunspot data from MDI High Resoluti



Flows



A two-region structure:

a smaller sound speed shallow region above a faster sound speed region that extends down to about 18 Mm.

Converging surface flow feeds a downflow beneath the spot.

From: Kosovichev et al. 2000, Sol.Phys. and Junwei Zhao et al. 200, Movies from URL: <http://soi.stanford.edu>

Problems: new developments and ideas

- ‘surface magnetic effects’, mostly from helioseismic holography measurements (Schunker et al. 2005, Lindsey & Braun 2006, Zhao & Kosovichev 2006, Braun & Birch 2006).

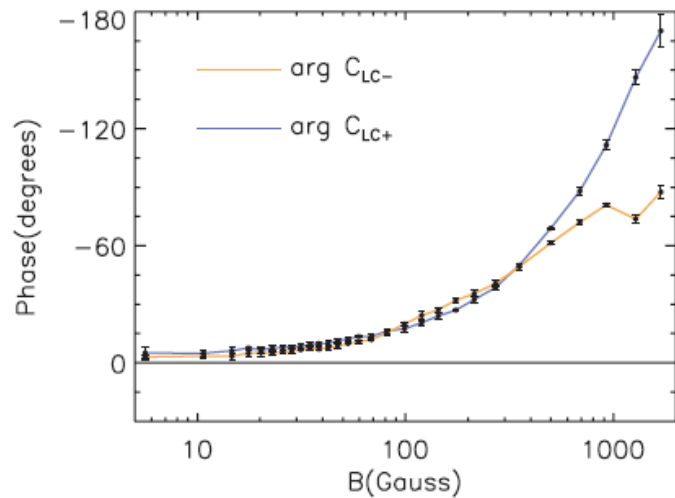
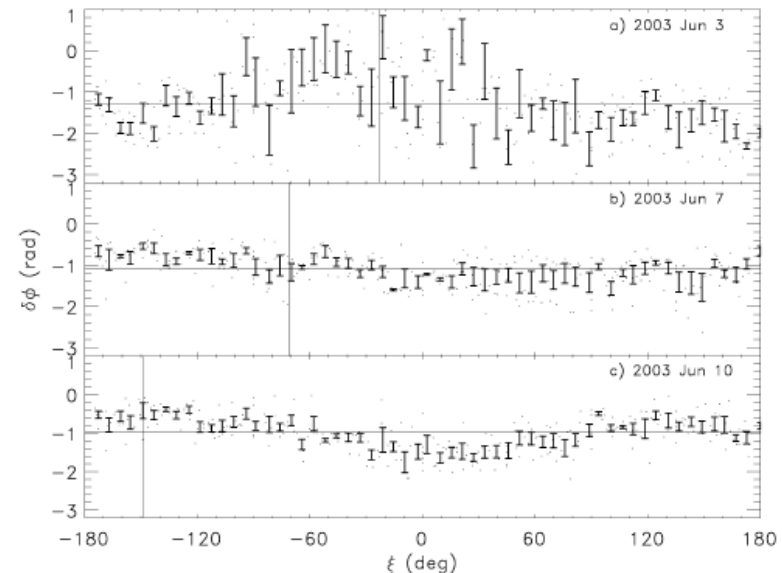


FIG. 7.—Plots of the arguments of C_{LC-} (yellow) and C_{LC+} (blue) from the diagnostic curves plotted in Figs. 4 and 5.



Schunker et al. 2005 ApJL.

Freq. dependent travel times.

(Braun & Birch, 2006 ApJL)

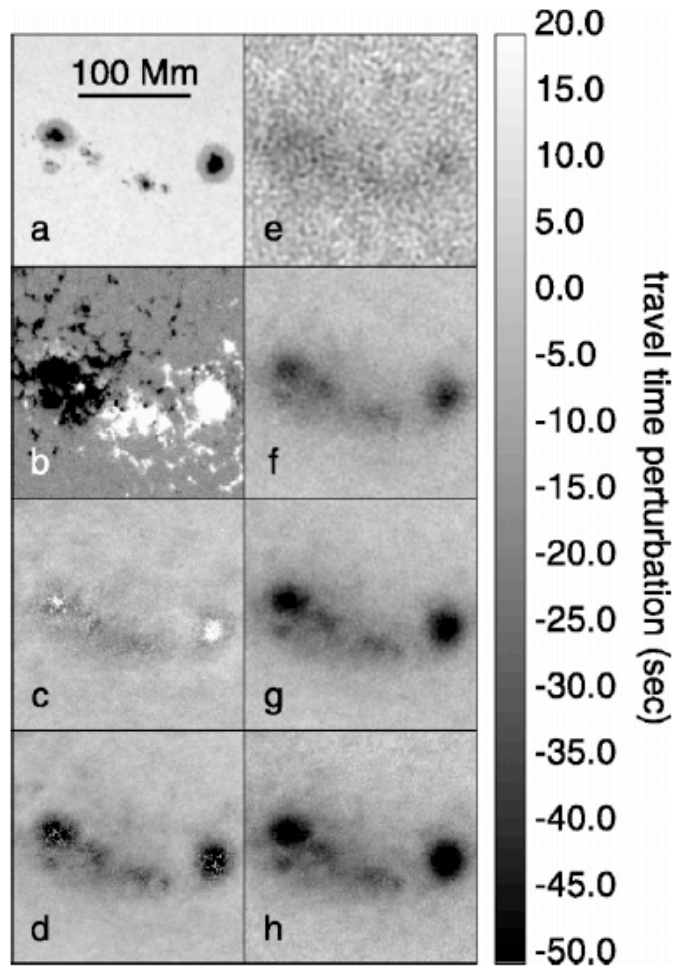


FIG. 1.—(a) MDI intensity, (b) line-of-sight magnetogram, and (c–h) sample maps of the mean travel-time perturbation covering a portion of the region studied and showing sunspot group AR 9885. Panels c and d show travel-time maps for filter C at 3 and 4 mHz, respectively (see Table 1). Panels e–h show the travel-time maps for filter E at 2, 3, 4, and 5 mHz, respectively.

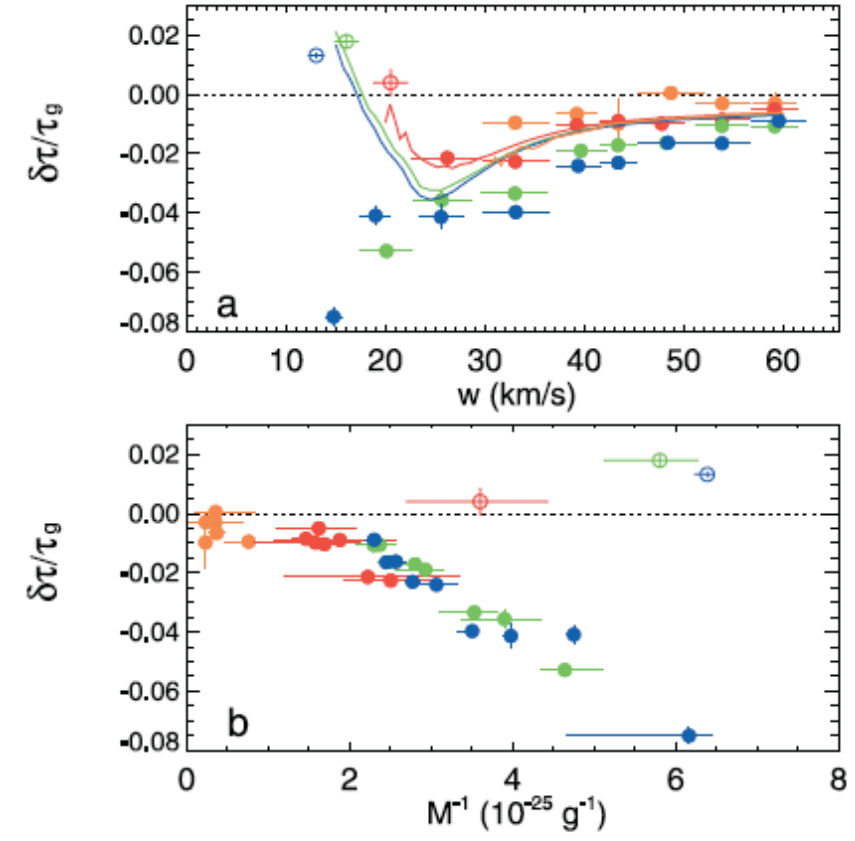
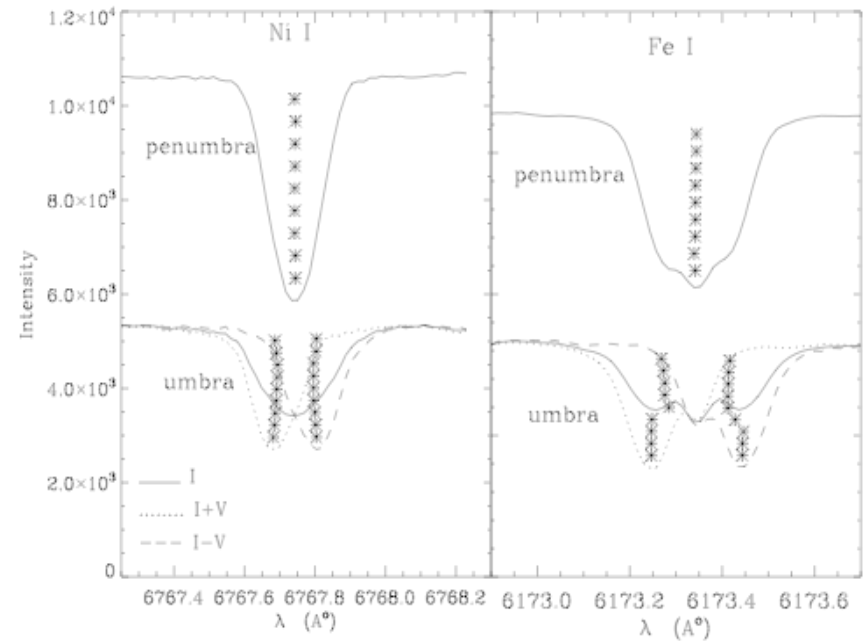
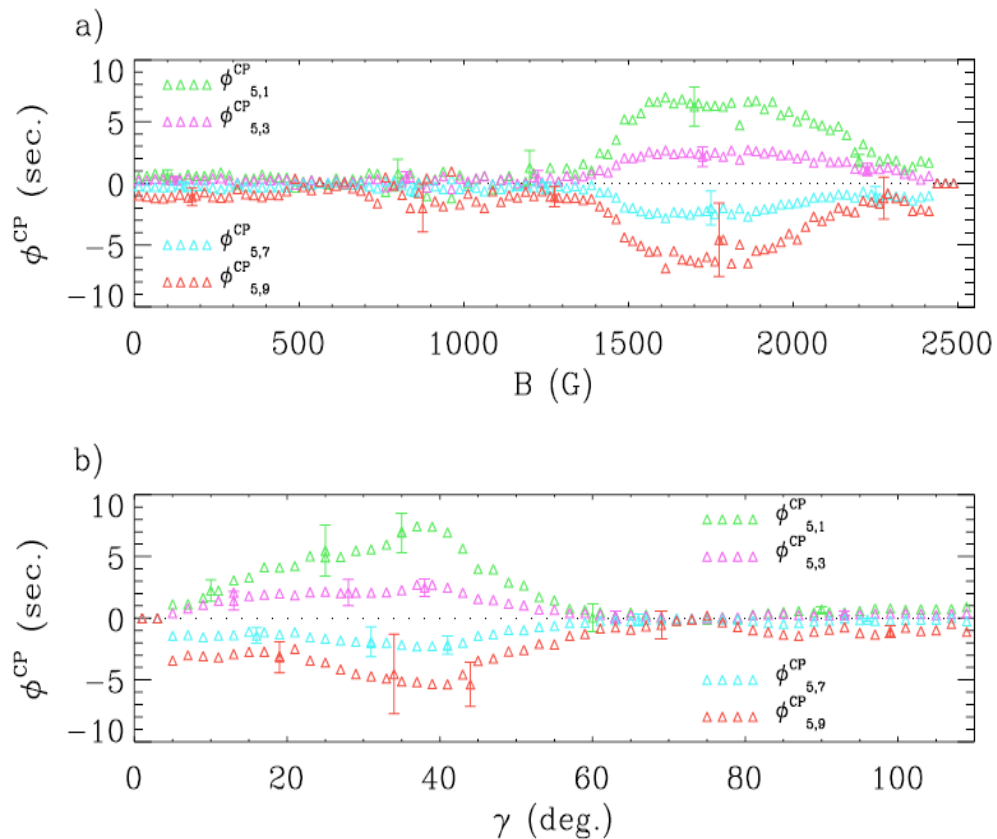


FIG. 3.—(a) Mean travel-time perturbations, averaged over all sunspot umbrae in the four spot groups observed, divided by the group travel times as functions of the phase speed w , where the orange, red, green, and blue symbols indicate results for $\nu_0 = 2, 3, 4,$ and 5 mHz, respectively. The open circles indicate the filter and frequency combinations which are dominated by the p_1 -mode. Horizontal bars indicate the range of w present within the filter and frequency bandpass, and the vertical bars indicate the standard deviation of the mean. The colored lines indicate the predicted values computed from a sound-speed proxy (see text), where the colors indicate the same ν_0 as the observations. (b) Fractional travel-time perturbations as a function of the inverse of the mean mode mass.

- radiative transfer effects on Doppler measurements (Rajaguru et al. 2007)

Phase shifts between mid-level (5) and other bisector levels in CP against B and gamma



Propagating waves in the observable layers introduce additional phase-shifts, which if not accounted for, could manifest as sub-surface physical signals in helioseismic inversions.

- phase speed filter effects that couple strong amplitude variation over a sunspot region with Fourier filtering procedure leading to artificial travel time signals (Rajaguru et al. 2006)

All of the above listed effects are not due to seismic or sub-surface perturbations!

So, all local helioseismic inferences, which do not account for them in the inversion procedures, i.e. all existing results on sub-surface structure and dynamics of sunspots, have serious flaws.

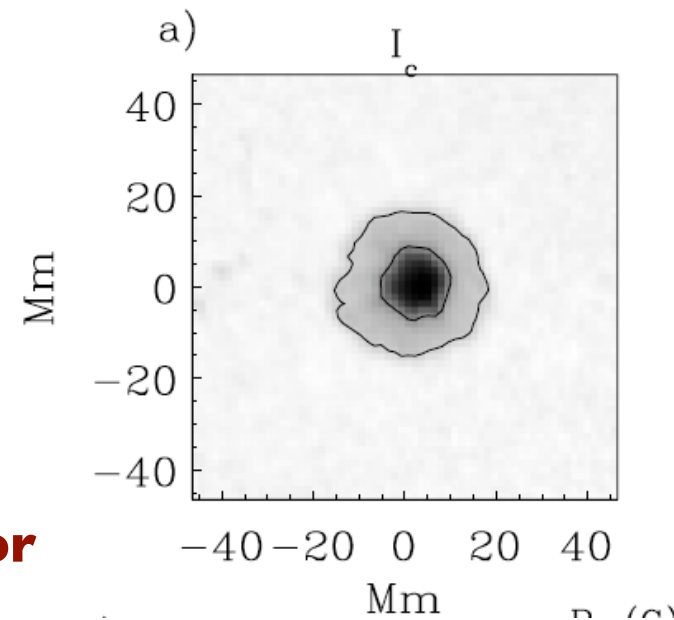
New time-distance helioseismic measurements

Frequency dependence of travel times

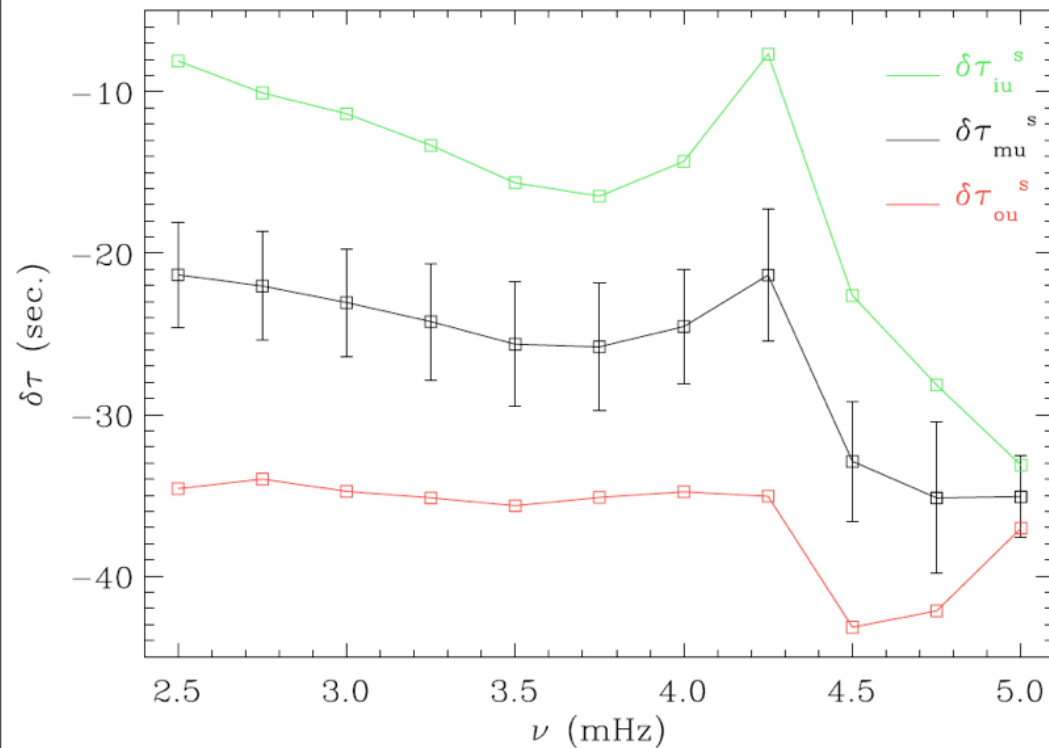
A large sunspot in NOAA AR9057, observed by SOHO/MDI on 28 Jun, 2000.

Travel time perturbations for a travel distance $\Delta = 50$ Mm

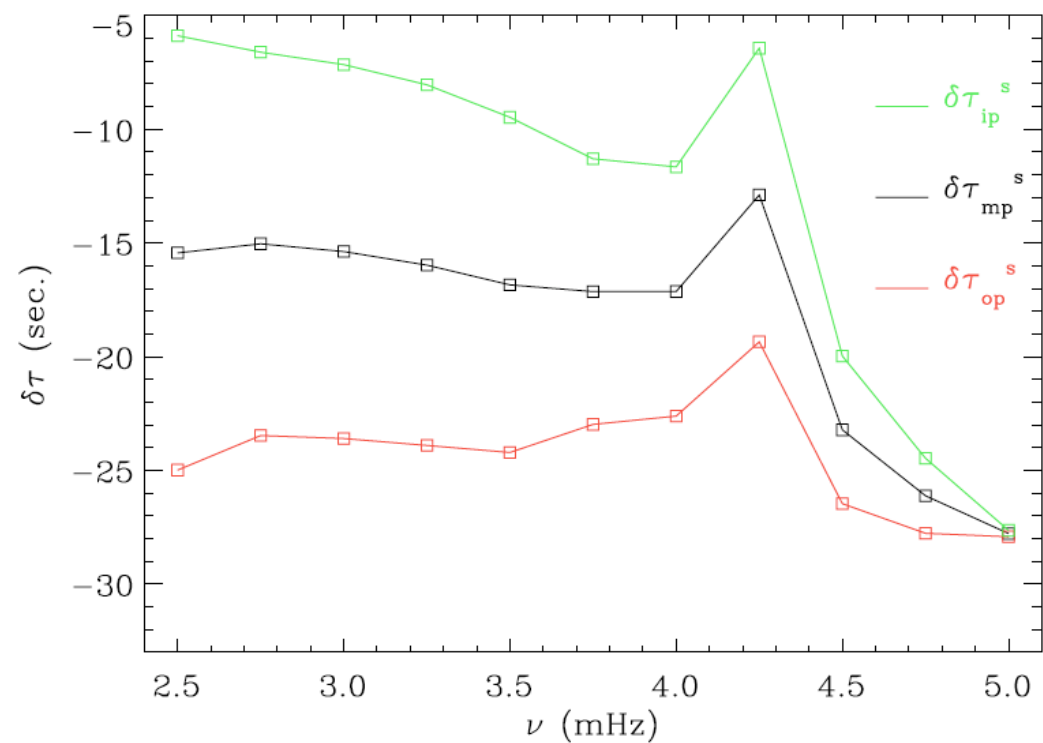
Signatures of freq. dependent p mode absorption? or just leakage of p modes?



Umbral Averages



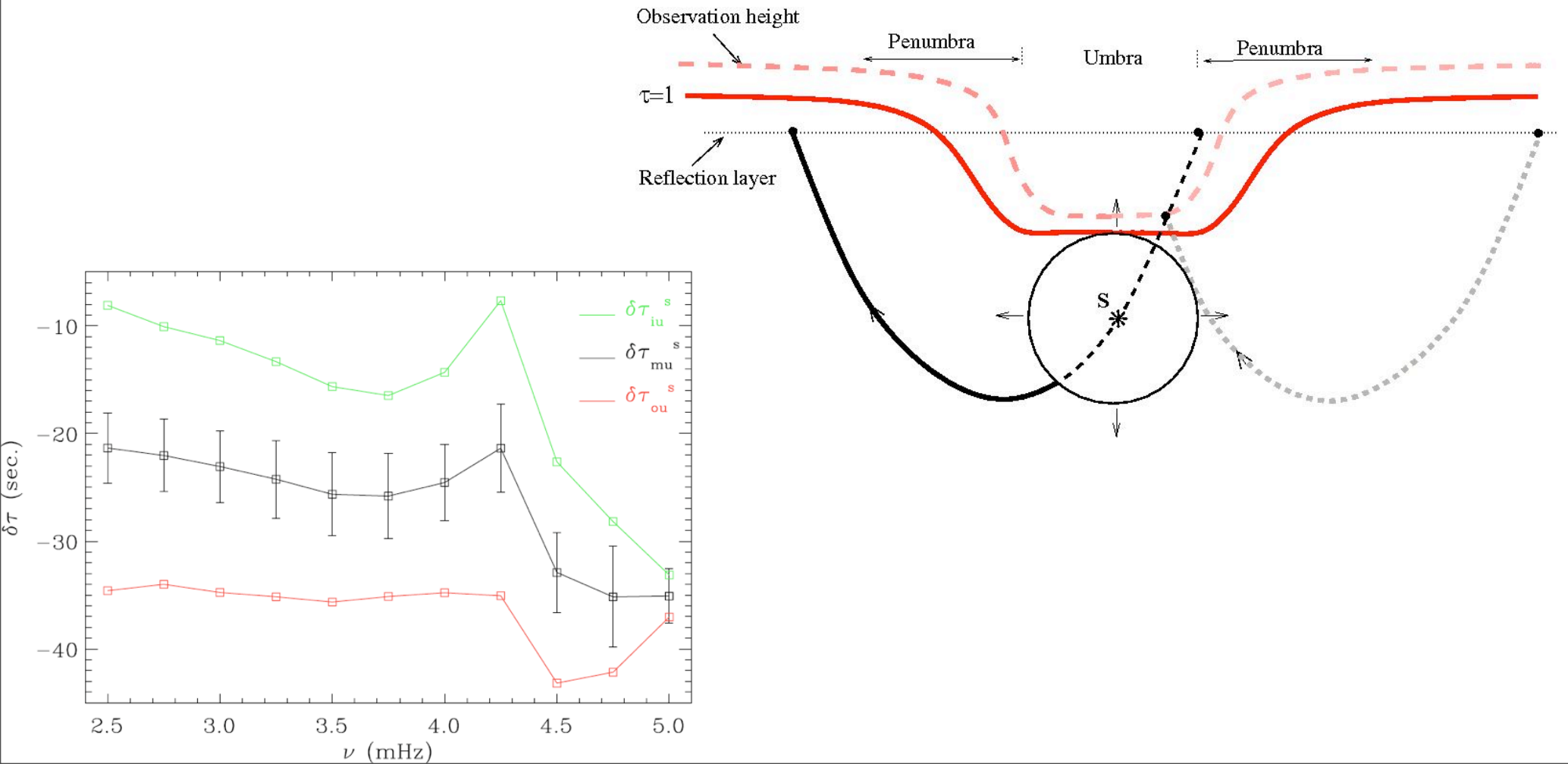
Penumbral Averages



Can acoustic sources beneath umbral photospheres explain the travel time asymmetries and frequency dependences?

Claerbout's Conjecture:

“In the presence of a homogeneous distribution of stochastic wave-field, cross-correlation of signals from two spatially separated points corresponds to a source-receiver correlation”.



Deep focus and double-skip geometries

- measurements designed to avoid using oscillations observed within sunspots.
- deep focus geometry
- more appropriate characterization of ‘surface magnetic contributions’

Ref.: Rajaguru, S.P., 2008 ApJL (under review)

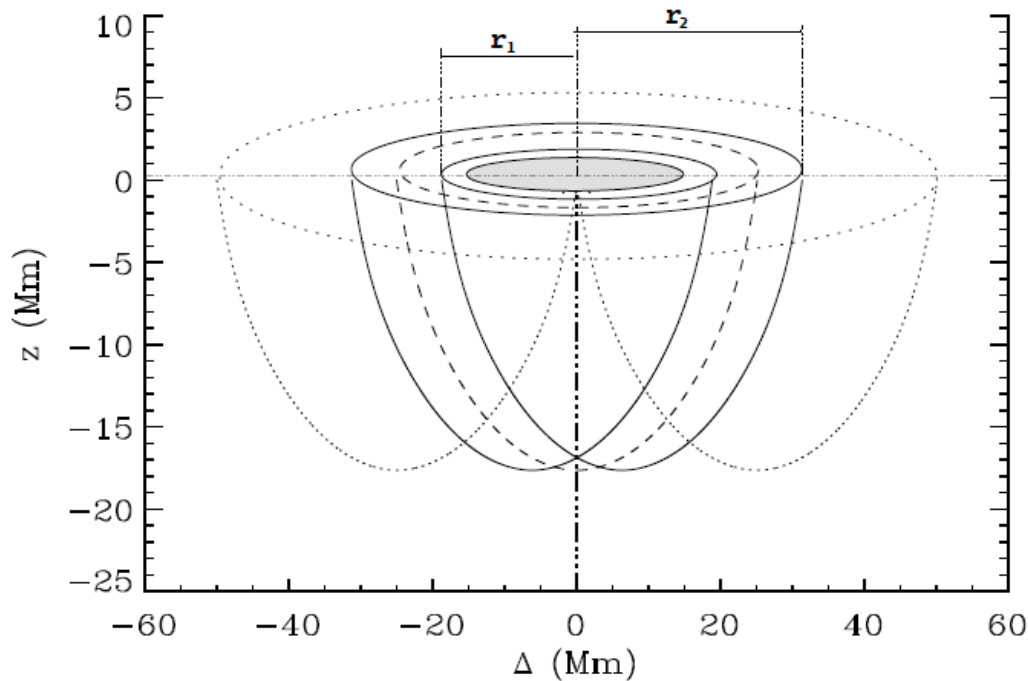
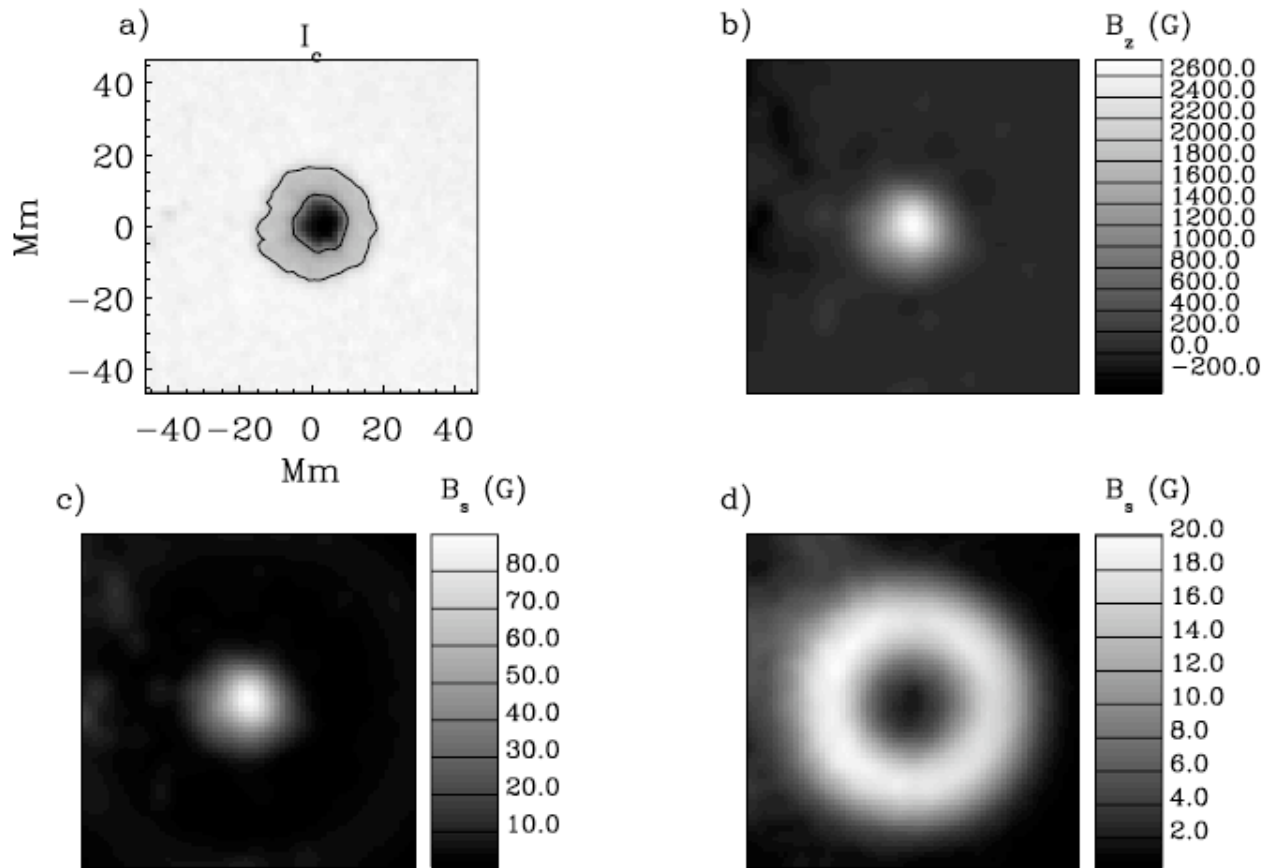


Table 1. Annuli Radii, Focus Depths and B_{su} ($\Delta=50$ Mm)

r_1 (Mm)	r_2 (Mm)	z_d (Mm)	B_{su} (G)
0.	Δ	0.	60.0
6.25	43.75	10.24	43.0
10.0	40.0	13.12	29.0
12.5	37.5	14.53	20.0
18.75	31.25	16.85	6.5
21.43	28.57	17.35	4.0
22.22	27.78	17.45	3.7
25.0	25.0	17.65	3.0

Fig. 1.— Ray-path diagram depicting the surface- and deep-focus measurement geometries: the ray paths correspond to model S of Christensen-Dalsgaard et al. (1996). Dotted lines correspond to the well-known center-annulus geometry, and solid and dashed lines correspond to annulus-annulus deep focus geometry with $q=0.6$ and 1 (focus at the lower turning point), respectively



A new surface magnetic proxy, which is a weighted convolution of B over measurement pixels,

$$B_s(x, y) = \int a(x - x', y - y') B(x', y') w(r) dx' dy'$$

Variation of travel times against surface magnetic proxy

Signatures of a deep seated, increased sound speed region?

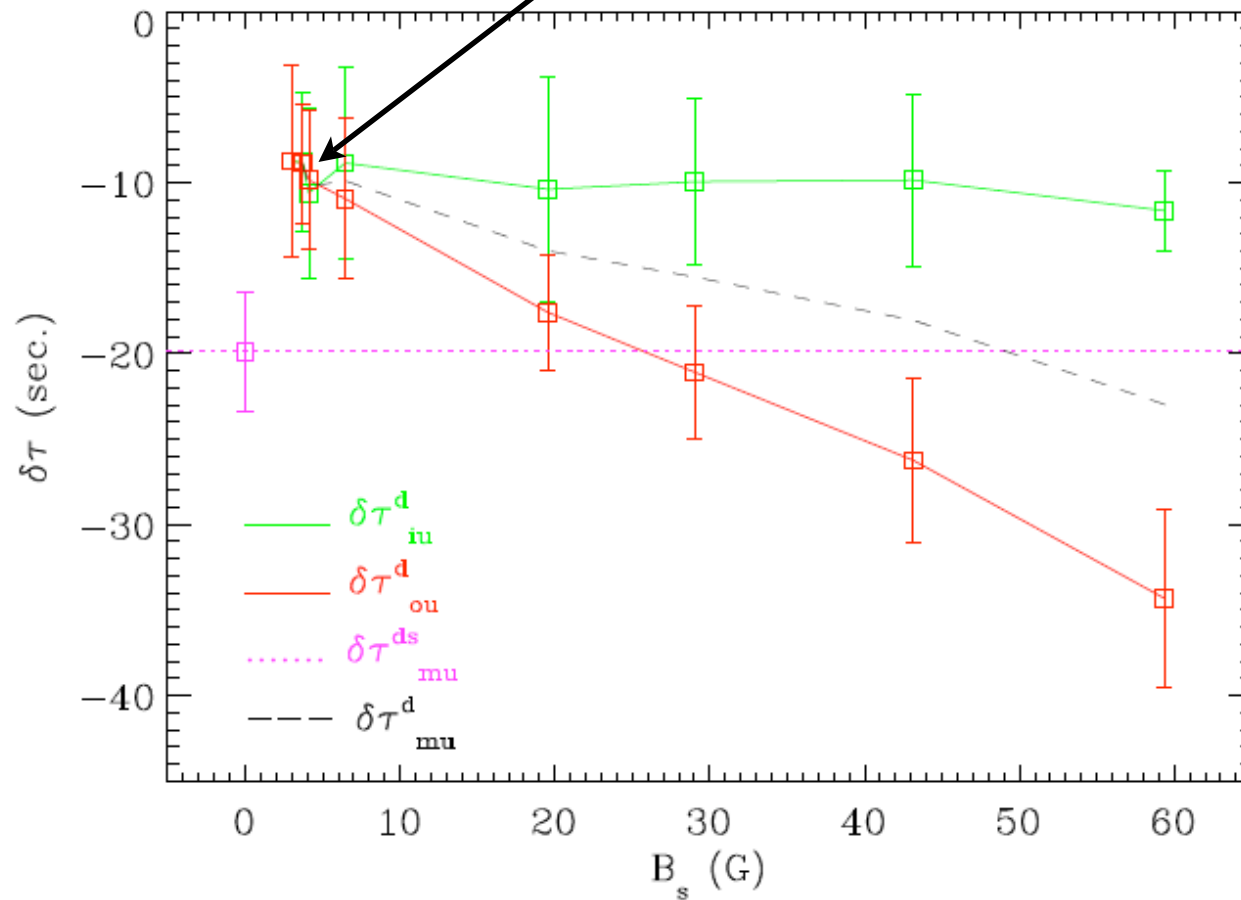
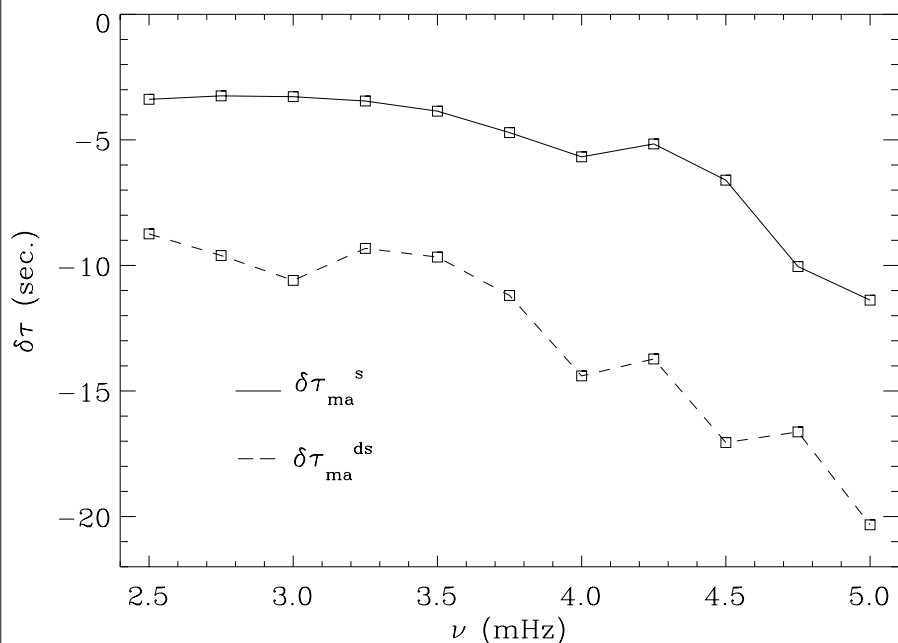
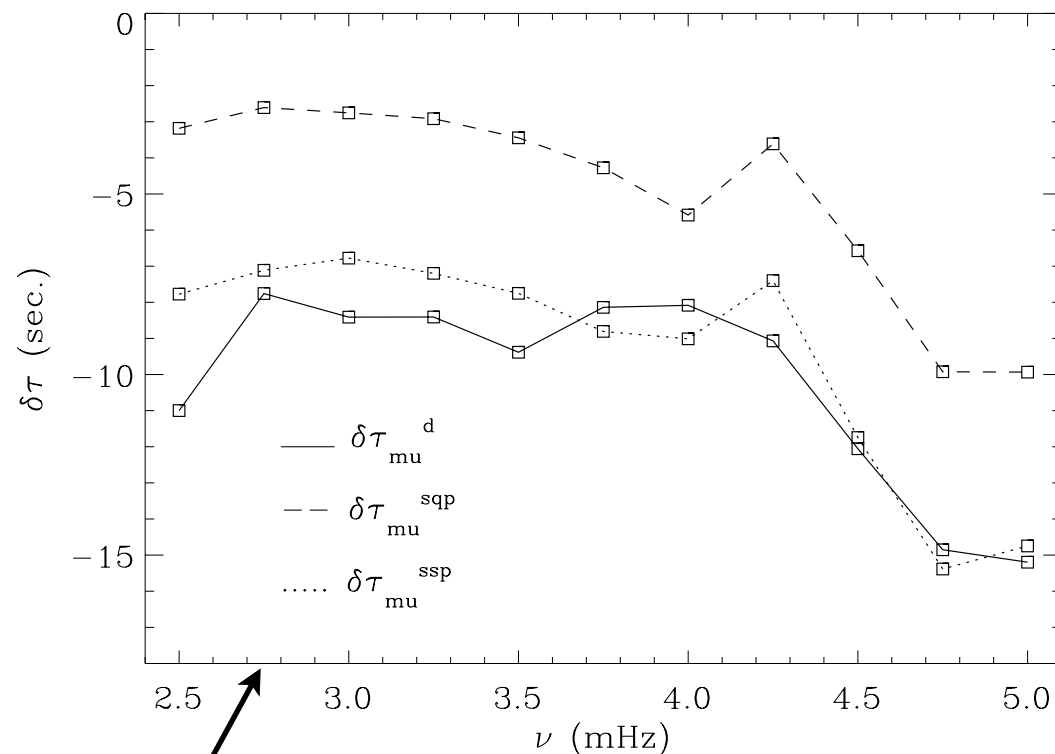
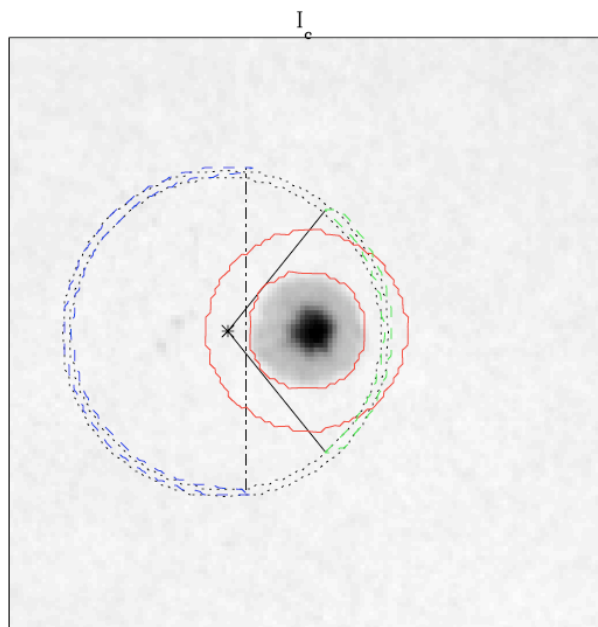


Fig. 3.— Variation of umbral area averaged one way and mean travel times against B_{su} for surface- and deep-focus geometries; see text for details.

A closer scrutiny: some more tests of surface and deep contributions (prompted by ApJL Referee's comments)



Give more credence to a presence of deep-seated increased wave speed region.

Various measurement techniques have been stretched to their limits, and limitations in observations and measurements require cross-checks and validations by means of detailed forward numerical calculations and simulations of wave propagation.

Way Forward:

○ Direct Numerical Simulation

- Realistic simulations of fully-compressible non-linear convection and magneto-convection (e.g., Stein, Nordlund & Benson 2006).
- Generate artificial data through wave propagation simulations that mimic the generation of waves by convection (e.g., Hanasoge et al. 2006, 2007; Cameron, Gizon & Duvall 2007).

Discussions

In the absence of reliable model for sunspot - p mode interactions, an useful procedure would be to avoid oscillations observed within sunspots and try to measure possible signatures of any sub-surface perturbations beneath sunspots.

We have just attempted that and have detected significant mean travel time perturbations indicating faster wave propagation extending down to atleast about 10 - 11 Mm (with a location uncertainty of about 7.5 Mm). Control experiments using oscillation signals well outside of a sunspot add further credence to the above inferences.

However, the detected signals are weak, and possibly reflect competing influences of near-surface effects and depth gradients.

Thank You.

Analysis of the inferred sound speed changes

$\delta c/c \sim B^2/8\pi\rho$ for B effects, and $\delta c/c \sim 2 \delta T/T$ for temperature changes

If only T causes all the changes in c, then a 2% change in c at 7 Mm depth would correspond to ~ 1800 K perturbation.

➔ this magnitude in δT is too large to maintain over areas that show the inferred δc

If all the changes are due to only the magnetic field, then 2% change in c at a depth of ~ 7 Mm will correspond to a B of ~ 30 kG.

From the inferred results, we see that the positive changes in c are over an area, at any depth > 5 Mm, substantially larger than the surface area of the spot.

➔ magnetic flux conservation does not allow that unless unemerged B ~ 30 kG are at that depth, which is again very difficult as such fields are bouyant.

➔ however, if the B field is in the form separated thin strong fibrils spread out over the inferred areas, then they could account for inferred changes in c.